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| 1 | To Know and use numbers | - Counting | - Count in multiples of 2-9 <br> - Count in multiples of 25,50 , 100 and 1000 <br> - Find 100 more or less than a given number. | With concrete objects, there is counting in multiples of 2,5 , 100, 1000. | There is counting in multiples of $2,3,4,5,25,50,100$ and 1000. <br> Generally, there is counting in multiples of 2 to 9. | There is independent and fluent counting in multiples of 2 to $9,25,50,100$ and 1000. |
|  |  | - Counting | - Count backwards through zero to include negative numbers. | With support from a teacher there is some evidence of finding 1000 more or less than some numbers. | Generally, 1000 more or less than a given number is found. | 1000 more or less than a given number, including negative numbers, can be found. |
| 2 | To Know and use numbers | - Comparing | - Order and compare numbers beyond 1000. | There is a process of counting backwards to zero but prompts may be needed. | With support if necessary, there is counting backwards to zero and through zero and negative numbers are recognised. | There is fluent counting backwards through zero to negative numbers. |
|  |  |  | - Recognise the place value of each digit in a fourdigit number. (thousands, hundreds, tens, and ones) | The place value of each digit in a two- digit whole number is recognised. <br> With reminders, the place value of each digit in a threedigit number is recognised. | The place value of each digit in a four- digit whole number is recognised. | Generally, the place value of each digit in a four- digit whole number. <br> Some decimal numbers are recognised, e.g. in the number 132.73, the value of the number 7 is understood as $7 / 10$ ths. |
|  |  | - Place Value | - Round any number to the nearest 10, 100 or 1000. | When models or frameworks are provided, any number is rounded to the nearest 10 or 100. | Generally, any number is rounded accurately to the nearest 10, 100 or 1000. | Independently, any number is rounded to the nearest 10, 100, 1000 and rounding to the nearest 10,000 or 100,000 is generally accurate. |


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| 3 | To Know and use numbers | - Representing | - Identify, represent and estimate numbers using different representations. | With support, numbers are represented as a collection of ones, groups of ten and groups of 100 . <br> With support estimation is attempted. | Generally, numbers are represented both pictorially and in writing in groups of ones, tens and hundreds. <br> Estimation is generally accurate. | Numbers independently represented in a variety of written and pictorial forms. <br> Estimation is accurate and justified. |
|  |  |  | - Read Roman numerals to 100 (I to C) and know that over time, the numeral system changed to include the concept of zero and place value | With support, Roman numerals on a clock can be read. | With reminders, Roman numerals to 100 (l to C) are read. | Independently, <br> Roman numerals are read up to 100 (C) and years written in Roman form are deciphered. |
|  |  | - Solve Problems | - Solve number and practical problems with increasingly large positive numbers. | With concrete objects, apparatus and guidance, number problems can be solved. <br> Equipment is beginning to be chosen to help solve problems. | With occasional prompts, number and practical problems with large positive numbers are solved. <br> Patterns in results are looked for when problem solving. <br> Generally, there is a secure awareness of which operation to use when solving problems. | Systematically and in an organised manner, number and practical problems (with increasingly large positive number) can be solved independently. <br> Discussion is used to break down a problem. <br> The operation needed in order to solve problems is identified independently. |
| 4 | To Add and Subtract | - Complexity | - Solve two-step addition and subtraction problems in contexts, deciding which operations and methods to use and why. | With the support of a teacher and practical apparatus, two-step addition and subtraction problems are solved. | Two- step problems, involving addition and subtraction, are solved in different contexts. <br> When reminders are given, the most appropriate operations and methods are chosen and used to solve problems. | Two- step problems in contexts, involving addition and subtraction, are systematically solved. <br> The most appropriate method and operations are chosen and used to solve two-step addition and subtraction problems independently. |
|  |  | - Using number facts | - Solve problems, including missing number problems, using number facts, place value and more complex addition and subtraction. | There is an awareness of how to solve twostep problems using number facts and place value. <br> With the support of a teacher, simple missing number problems can be solved using number facts and place value. | Generally, two- step number problems, including missing number problems, are tackled and solved using number facts, place value and addition and subtraction. | Independently, two- step number problems, including missing number problems and balancing equations, are solved using more complex addition and subtraction. |


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|  |  | - Methods | - Add and subtract numbers with up to 4 digits using the formal written methods of columnar addition and subtraction where appropriate | With the support of a teacher, the correct formal written methods are used to add and subtract numbers up to four- digits. | Generally, the formal written methods of columnar addition and subtraction are used to add and subtract numbers up to fourdigits. | Independently, the columnar addition and subtraction methods are used to add and subtract numbers with up to four- digits correctly. |
| 5 | To Add and Subtract | - Methods | Add and subtract numbers mentally, including: <br> - A three-digit number and ones. <br> - A three-digit number and tens. <br> - A three-digit number and hundreds. | With prompts, three- digit numbers and ones are added and subtracted mentally. | Three- digit numbers and ones and three- digit numbers and tens are added and subtracted mentally. Reminders may be needed to address mistakes. <br> With prompts, three- digit number and hundreds are added and subtracted mentally. | Three- digit numbers and ones, three- digit numbers and tens and three- digit numbers and hundreds are added and subtracted mentally and quickly. <br> Generally, four- digit numbers and ones, tens or hundreds are added and subtracted mentally. |
|  |  | - Checking | - Estimate and use inverse operations to check answers to a calculation. | When help or structure is provided, the inverse operations are used to check answers to a calculation. | Generally, during problem solving, work is checked and corrections are made. <br> Generally, inverse relationships are used to find missing numbers in a number sentence and to check answers to a calculation. | Work is checked and corrections are made independently during problem solving. <br> Without support, inverse relationships are used to find missing numbers in a number sentence and to check answers to a calculation. |
| 6 | To multiply and divide | - Complexity | - Solve problems involving multiplying and adding, including using the distributive law to multiply two digit numbers by one digit, integer scaling problems and harder correspondence problems (such as n objects are connected to $m$ objects). | Using pictorial representations, concrete objects and at times the support of a teacher, simple multiplication and division problems are solved. | Generally there is an understanding of the distributive law: multiplying a number by a group of numbers added together is the same as doing each multiplication separately, e.g. $3(2+4)=32+34$. <br> The distributive law and other multiplication and addition methods are used to solve: <br> Problems involving multiplying two- digit numbers by a one- digit number <br> Integer scaling problems <br> Correspondence problems. | The distributive law and other multiplication and addition methods are used to solve: <br> Problems involving multiplying two- digit numbers by a onedigit number without support. <br> Problems involving multiplying three- digit numbers by a one- digit number without support. <br> - Integer scaling problems without support. <br> - Harder correspondence problems without support. |


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|  |  | - Methods | - Multiply two-digit and threedigit numbers by a one-digit number using formal written layout. | Using practical apparatus, two- digit numbers are multiplied by a one- digit number. <br> With support calculations are represented using a formal written layout. | Two- digit numbers can be multiplied and divided by a one- digit number, using formal written layout accurately. <br> With reminders, three- digit numbers can be multiplied and divided by a one- digit number, using formal written layout. | Independently, two- digit and three- digit numbers are multiplied by a one- digit number using formal written layout correctly. |
| 7 | To multiply and divide | - Methods | - Use place value, known and derived facts to multiply and divide mentally, including: multiplying by 0 and 1 ; dividing by 1 ; multiplying together three numbers. | With the support of a teacher and the use of concrete objects, two- digit numbers can be multiplied and divided by $2,3,4$ and 5 . <br> When reminders of strategies to support are given, simple multiplication and division facts can be solved mentally, including multiplying and dividing by 1 . | Generally, place value and known multiplication and division facts are used to divide and multiply mentally, including multiplying by 0 and 1. <br> Two- digit numbers can be multiplied by 2, 3, 4 and 5 mentally. <br> Generally, three numbers can be multiplied together. <br> Two- digit and three- digit numbers are multiplied by 0 and 1 and two- digit and threedigit numbers are divided by 1 mentally with reminders occasionally needed. | The following mental calculations occur independently: <br> - multiplying two- digit and three- digit numbers by 0 and 1 <br> dividing two- digit and three digit numbers by 1 <br> multiplying together three numbers. <br> Place value and known multiplication and division facts are used to divide and multiply mentally, including multiplying by 0 and 1 . |
|  |  |  | - Recognise and use factor pairs and commutativity in mental calculations. | With the support of a teacher and pictorial representations, factor pairs are recognised. | Generally, factor pairs in mental calculations are used and recognised, e.g. $1 \times 48=48$, $2 \times$ $24=48,3 \times 16=48$. | Factor pairs in mental calculations are used and recognised, e.g. $1 \times 48=48$, 2 $\times 24=48,3 \times 16=48$ |
| 8 | To multiply and divide | - Checking | - Recognise and use the inverse relationship between multiplication and division and use this to check calculations and solve missing number problems. | There is an awareness of the inverse relationship between multiplication and division. With the support of a teacher, this is used to solve problems and at times check calculations. <br> With support, division facts can be found from a known multiplication fact. | The inverse relationship between multiplication and division is recognised. <br> With some support, the inverse relationship between multiplication and division is used to solve problems and check calculations. <br> Division facts can be found from a known multiplication fact. | The inverse relationship between multiplication and division is used to check calculations and to solve problems independently. |


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|  |  | - Using multiplication and division facts | - Recall multiplication and division facts for multiplication tables up to $12 \times$ 12. | Generally, multiplication and division facts for multiplication tables 2, 5 and 10 are recalled. <br> With support, multiplication and division facts are recalled for 3 and 4 multiplication tables. | Multiplication and division facts are recalled for $2,3,4$, 5 and 10 multiplication tables at speed. <br> Generally and with a few reminders or corrections, multiplication and division facts for multiplication tables up to 1212 can be recalled. | Multiplication and division facts for multiplication tables up to 1212 are recalled at speed. <br> Multiplication and division questions involving multiples of $10,100,1000$, etc. are answered by using times table facts, e.g. $6 \times 6=36$ so $60 \times 6=360$. |
| 9 | Fractions (including decimals, percentages , ratio and proportion) | - Recognising fractions | - Recognise, find and write fractions of a discrete set of objects: unit fractions and non-unit fractions with small denominators. | With concrete objects and pictorial images, and the support of a teacher, , 1/3 and of a discrete set of objects are found. | When reminded, , $1 / 3$ and $1 / 5$ of a discrete set of objects are generally recognised and used. <br> With support non unit fractions are recognised and used (eg 2/3) | Fractions of a discrete set of objects or numbers are recognised independently. <br> Non unit fractions of a discrete set of objects or numbers are identified. |
|  |  |  | Recognise and use fractions as numbers: unit fractions and nonunit fractions with small denominators. | - | - | - |
| 10 | Fractions (including decimals, percentages , ratio and proportion) | - Recognising fractions | - Round decimals with one decimal place to the nearest whole number. | With support decimals with one place are rounded to the nearest whole number. | When prompted decimals with one place are rounded to the nearest whole number. | Independently decimals with one place are rounded to the nearest whole number. <br> Generally decimals with two places are rounded to the nearest whole number. |
|  |  | - | - Compare numbers with the same number of decimal places up to two decimal places. | With support, two numbers with two decimal places are ordered correctly. | Generally any sets of numbers with two decimal places are ordered correctly. | Independently, any sets of numbers with two decimal places are ordered correctly. <br> Generally, any sets of numbers with three decimal places are ordered correctly. |


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| 11 | Fractions (including decimals, percentages , ratio and proportion) | - Recognising fractions | - Count up and down in tenths; recognise that tenths arise from dividing an object into 10 equal parts and in dividing one-digit numbers or quantities by 10 . | Within the context of counting money and metric measures, there is an emerging understanding that tenths arise from dividing a measure into 10 equal parts and from dividing onedigit numbers or quantities by 10 . | Generally, the metric measure system is used to count in tenths and to explain that tenths arise from dividing a measure into 10 equal parts. <br> With support, one digit numbers or quantities are divided by 10 . | One digit numbers or quantities are independently divided by 10 . |
|  |  | - | Count up and down in hundredths; recognise that hundredths arise when dividing an object by one hundred and dividing tenths by ten. | With support, counting up and down in tenths and hundredths is correct. | Generally, counting up and down in tenths and hundredths is correct. <br> It is generally recognised that tenths or hundredths arise from dividing an object into 10 or 100 equal parts and from dividing onedigit numbers or quantities by 10 or 100 . | Counting up and down in tenths and hundredths is correct and takes place independently. <br> It is recognised that tenths and hundredths arise from dividing an object into 10, 100 equal parts and from dividing onedigit numbers or quantities by 10 or 100. <br> Generally counting up and down in thousandths is accurate. |
|  |  | - | - Compare and order unit fractions and fractions with the same denominators. | With support from the teacher, along with pictorial representations, unit fractions and fractions with the same denomination are ordered. | Generally, unit fractions and fractions with the same denominators are ordered. | Unit fractions and fractions with the same denominators are compared and ordered. <br> Generally, non- unit fractions are ordered correctly. |
| 12 | Fractions (including decimals, percentages , ratio and proportion) | - Equivalence | - Recognise and show, using diagrams, families of common equivalent fractions. | With the support of a teacher and by using diagrams, families of common equivalent fractions are recognised. | Families of common equivalent fractions, e.g. $1 / 2$ is equivalent to $2 / 4,3 / 6,4 / 8$, etc., are recognised and shown. | Families of common equivalent fractions, e.g. $1 / 2$ is equivalent to $2 / 4,3 / 6,4 / 8$, etc., are recognised and shown independently. |
|  |  | - | - Recognise and write decimal equivalents of any number of tenths or hundredths. | With the support of a teacher, a decimal equivalent to $1 / 10$ is recognised | Generally, decimal equivalents of any number of tenths is recognised and written. <br> With support from a teacher, decimal equivalents of any number of hundredths is recognised and written. | Decimal equivalents of any number of tenths or hundredths is recognised and written. <br> Balancing equations are beginning to be solved. |


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|  |  | - | Recognise and write decimal equivalents to $1 / 4,1 / 2,3 / 4$. | There is an emerging understanding of the decimal equivalent to $1 / 4$. | Generally, decimal equivalents to $1 / 4,1 / 2$ and $3 / 4$ are recognised and written correctly. | Decimal equivalents to $1 / 4$, and $3 / 4$ are recognised and written correctly and independently. <br> With support, decimal equivalents of $1 / 3$ and $2 / 3$ are recognised and written. |
| 13 | Fractions (including decimals, percentages , ratio and proportion) | - Solving problems | - Add and subtract fractions with the same denominator within one whole. | With concrete objects and pictorial representations, fractions with the same denominator within one whole are added and subtracted, e.g. $2 / 7+3 / 7=$ 5/7. | With reminders of processes fractions with the same denominator within one whole are added and subtracted. | Fractions with the same denominator within one whole are added and subtracted independently. |
|  |  | - | - Solve problems involving increasingly harder fractions. | With the support of a teacher, there is problem solving involving $1 / 2$ and $1 / 4$ as a fraction, decimal and percentage. | Generally, fractions with the same denominator are added and subtracted correctly, e.g. $1-3 / 4=1 / 2$ | Problems involving increasingly harder fractions, such as improper fractions, fractions with different denominations, etc. are solved. |
|  |  | - | - Calculate quantities and fractions to divide quantities (including non-unit fractions where the answer is a whole number). | - | - | - |
| 14 | Fractions (including decimals, percentages , ratio and proportion) | - Solving problems | - Add and subtract fractions with the same denominator. | With concrete objects and pictorial representations, fractions with the same denominator within one whole are added and subtracted, e.g. $2 / 7+3 / 7=$ 5/7. | With reminders of processes fractions with the same denominator within one whole are added and subtracted. | Fractions with the same denominator within one whole are added and subtracted independently. |
|  |  | - | - Find the effect of dividing a one- or two-digit number by 10 and 100 , identifying the value of the digits in the answer as ones, tenths and hundredths. | With the support of a teacher and practical apparatus, the effect of dividing a one- or two- digit number by 10 is found and the value of the digits in the answer are | With prompts, the effect of dividing a one- or two- digit number by 10 and 100 is found and the value of the digits in the answer are identified as ones, tenths and | Independently, the effect of dividing a one- or two- digit number by 10, 100 or 1000 is found and the value of the digits in the answer are identified as ones, tenths, |


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|  |  |  |  | identified as ones, tenths and hundredths. | hundredths, e.g. $136 \div 100=$ 1.36 and the value of the number 3 in the answer is 3 tenths. | hundredths and thousandths. |
|  |  | - | - Solve simple measure and money problems involving fractions and decimals to two decimal places. | When models are provided, such as concrete objects and pictorial images, measure and money problems involving fractions and decimals to two decimal places are solved. | Generally, simple measure and money problems involving fractions and decimals to two decimal places are solved. | Measure and money problems involving fractions and decimals to two decimal places are solved independently. <br> Generally problems involving decimals to three decimal places are solved. |
| 15 | To understand the properties of shapes | blank | - Draw 2-D shapes and make 3D shapes using modelling materials; recognise 3-D shapes in different orientations and describe them. | With guidance, 2- D shapes can be drawn and 3- D shapes made using modelling materials. Basic properties, e.g. number of sides, lines of symmetry, etc., are described. | Generally, 2- D shapes can be drawn and 3- D shapes made using modelling materials. 3D shapes in different orientations are recognised. | 2- D shapes can be drawn and 3- D shapes made using modelling materials. 3- D shapes in different orientations are recognised without support. |
|  |  |  | - Recognise angles as a property of shape or a description of a turn. | With support, turns of 90 degrees are recognised. | Generally, angles, as a property of shape, are recognised and described, including 90 and 180, degrees. | Angles, as a property of shape or description of a turn, are recognised and described, including 90, 180, 270 and 360 degrees. |
|  |  |  | - Identify right angles, recognise that two right angles make a half-turn, three make three quarters of a turn and four a complete turn; identify whether angles are greater than or less than a right angle. | With support, right angles can be identified and angles which are greater than or less than a right angle are identified. | Generally, right angles, obtuse angles and acute angles are identified, compared and ordered correctly and the correct terminology is used. <br> Right- angled or equilateral triangles are recognised. When reminders are given, isosceles and scalene triangles are identified. | Right angles, obtuse angles, acute angles and reflex angles are identified correctly and independently. <br> Angles as a measure of a turn are recognised, e.g. there is a secure understanding that $180^{\circ}$ (two right angles) is a half turn, $270^{\circ}$ (three right angles) is three quarters of a turn and that $360^{\circ}$ (four right angles) is a whole turn. |


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| 16 | To understand the properties of shapes | blank | - Identify horizontal and vertical lines and pairs of perpendicular and parallel lines. | Horizontal and vertical lines are identified correctly. | Horizontal and vertical lines are identified independently and pairs of perpendicular and parallel lines are generally identified correctly. | Horizontal and vertical lines and pairs of perpendicular and parallel lines are identified correctly and without support |
|  |  |  | - Compare and classify geometric shapes, including quadrilaterals and triangles, based on their properties and sizes. | When prompts are given, geometric <br> shapes, including triangles and quadrilaterals, are classified. <br> With support from a teacher, different types of triangles, such as equilateral, scalene, isosceles and right- angled, are classified. <br> With the support of a teacher, the net for a cube is created. | Geometric shapes, including triangles and quadrilaterals, are generally classified. <br> With help, there is classification of triangles into equilateral, scalene, isosceles and right- angled triangles, using the properties of shape. | Geometric shapes, including triangles and quadrilaterals are classified and there is classification of triangles into equilateral, scalene isosceles and right- angled triangles, using the properties of shape. |
|  |  |  | - Identify acute and obtuse angles and compare and order angles up to two right angles by size. | With support from a teacher, the terminology acute and obtuse is beginning to be used. | Generally, angles are compared and ordered up to 180 degrees. <br> Generally, the language of obtuse and acute angles is used in describing angles. | Angles are independently ordered and compared. |
| 17 | To understand the properties of shapes | blank | - Identify lines of symmetry in 2D shapes presented in different orientations. | Lines of symmetry in simple 2D shapes, such as squares, rectangles and equilateral triangles, are identified with support. | Generally, lines of symmetry in 2- D shapes presented in different orientations are identified. | Lines of symmetry in 2- D shapes presented in different orientations are identified correctly and independently. <br> When using a vertical or horizontal line of symmetry, symmetric figures are completed. |
|  |  |  | - Complete a simple symmetric figure with respect to a specific line of symmetry. | With the support of a teacher and when using a vertical line of symmetry, simple symmetric figures are completed. | With prompts and when using a vertical or horizontal line of symmetry, simple symmetric figures are completed. | Generally, shapes can be reflected at $45^{\circ}$ to a mirror line. |


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| 18 | To describe position, direction and movement | blank | - Recognise angles as a property of shape and as an amount of rotation. | With the support of a teacher, angles are recognised as a property of shape. <br> With support, rotations of 90 or 180, can be related to and turns. | Angles are recognised as a property of shape and as an amount of rotation . | Angles are recognised as a property of shape and as an amount of rotation, without support. |
|  |  |  | - Identify right angles, recognise that 2 right angles make a half turn and 4 make a whole turn. | - | - | - |
|  |  |  | - Identify angles that are greater than a right angle. | With support, angles greater than 90 degrees are recognized and described as obtuse. | Angles that are greater than a right angle are identified and called obtuse angles. <br> With support, angles greater than 180 degrees are described as reflex angles. | Angles are sorted in terms of less than, equal to or greater than a right angle. <br> The terminology of acute, right angle, obtuse and reflex is used to describe angles. |
| 19 | To describe position, direction and movement | blank | - Describe positions on a 2-D grid as coordinates in the first quadrant. | The $x$ and $y$ axis are identified on a coordinate grid. <br> When help or structure is provided, positions on a 2- D grid, as coordinates in the first quadrant, e.g. $(2,2)$, are described. | Positions on a 2- D grid, as coordinates in the first quadrant, e.g. (2,2), are described and plotted. | Positions on a 2- D grid, as coordinates in the first, second, third or fourth quadrant, e.g. (-2,2) are described. |
|  |  |  | - Describe movements between positions as translations of a given unit to the left/right and up/down. | There is an awareness of the following terminology for position, direction and movement: left/right, clockwise/anticlockwise, $90^{\circ}$ to give directions. | The following directional terminology: left/right, clockwise/anticlockwise, $90^{\circ}$, is understood and used correctly to describe position, direction and movement. | Shapes can be reflected on a vertical and horizontal mirror line independently. <br> Movements <br> between positions, as translations of a given unit, are described and translations using vectors are plotted. |


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|  |  |  | - Plot specified points and draw sides to complete a given polygon. | With support from the teacher and structured activity provided, specific points are plotted on a coordinate grid to complete a triangle or square. | When guidance is provided, specified points are plotted on a coordinate grid and sides are drawn to complete a given polygon, e.g. a hexagon. | Independently, specified points are plotted on a coordinate grid and sides are drawn to complete a given polygon, e.g. a hexagon. |
| 20 | To use measures | blank | - Measure, compare, add and subtract: lengths ( $\mathrm{m} / \mathrm{cm} / \mathrm{mm}$ ); mass (kg/g); volume/capacity ( $/ 1 / \mathrm{ml}$ ). | With support, measurements are taken and recorded. <br> With support and practical apparatus, measurements are added and subtracted. | Generally, Measurement scales are understood and measurements are taken and recorded. <br> Generally, a series of measurements are added and subtracted. | Independently, a wide range of measures are taken and recorded accurately. <br> Addition and subtraction problems involving measures are independently completed. |
|  |  |  | - Measure the perimeter of simple 2-D shapes. | The terms area and perimeter are beginning to be understood. <br> With support, the perimeter of simple 2- D shapes is measured in cm and m . | Generally, the terminology of area and perimeter is secure and used correctly. <br> The perimeter of a rectilinear figure (including squares) in centimetres and metres is measured and calculated. | The terminology of area and perimeter is secure and used to calculate accurately. |
| 21 |  |  | - Add and subtract amounts of money to give change. ( $£$ and p) | With the support of a teacher and with practical apparatus, amounts of money can be added and subtracted to give change within one pound. | Generally, amounts of money can be added and subtracted to give change. | Amounts of money can be added and subtracted to give change confidently and correctly. |
| 22 | To use measures | blank | - Tell and write the time from an analogue clock, including using Roman numerals from I to XII, and 12 -hour and 24 -hour clocks. | With the support of a teacher, the time can be understood from an analogue clock, including when using Roman numerals. | With reminders, times are read, written and converted between analogue and digital 12- and 24hour clocks, (e.g. 3:00 o'clock - 15:00hrs). | Without support, times are read, written and converted between analogue and digital 12- and 24- hour clocks, (e.g. <br> 3:00 o'clock - 15:00hrs). |


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|  |  |  | - Estimate and read time with increasing accuracy to the nearest minute; record and compare time in terms of seconds, minutes and hours; use appropriate vocabulary. | With the support of a teacher, a 12- hour clock can be read and time duration within the hour estimated. | Generally, time is estimated to the nearest minute, five minutes, quarter, half and three quarters of an hour. <br> Time is compared and recorded, and the correct vocabulary is used: hours, minutes, seconds, etc. | Generally, time is estimated to the nearest minute, five minutes, quarter, half and three quarters of an hour. |
|  |  |  | - Know the number of seconds in a minute and the number of days in each month, year and leap year. | With support, the number of seconds in a minute and the number of days in a year is remembered. | The number of seconds in a minute and the number of days in each month, year and leap year are remembered, with prompts when necessary. | The number of seconds in a minute and the number of days in each month, year and leap year are remembered independently. |
| 23 | To use measures | blank | - Compare durations of events. | With support, the number of seconds in a minute and the number of days in a year is remembered. | The number of seconds in a minute and the number of days in each month, year and leap year are remembered, with prompts when necessary. | The number of seconds in a minute and the number of days in each month, year and leap year are remembered independently. |
|  |  |  | - Convert between different units of measure. (for example, kilometre to metre; hour to minute) | With support some conversions between different units are completed. | Generally, conversions of $£$ to pence, Km to $m$ and other simple conversions are completed. | Without support, conversions between wide varieties of different units of measure are completed accurately. |
|  |  |  | - Measure and calculate the perimeter of a rectilinear figure (including squares) in centimetres and metres. | By counting squares inside a shape, the area of rectilinear shapes can be found. | generally the area and perimeter of rectilinear shapes is found by counting squares. | The area and perimeter of rectilinear shapes are measured and calculated independently. |
| 24 | To use measures | blank | - Find the area of rectilinear shapes by counting squares. |  | - | - |


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|  |  |  | - Estimate, compare and calculate different measures, including money in pounds and pence. | With support estimation, comparisons and calculations of a range of measures is undertaken. | Generally, accurate estimation, comparisons and calculations of different measures are completed. | Without support, estimation is used to help calculate in the context of measures. <br> Ordering and comparing of different measures is undertaken independently and accurately. |
| 25 | To use measures | blank | - Read, write and convert time between analogue and digital 12- and 24 -hour clocks. | With the support of a teacher, the time can be understood from an analogue clock, including when using Roman numerals. | With reminders, times are read, written and converted between analogue and digital 12- and 24hour clocks, (e.g. 3:00 o'clock - 15:00hrs). | Without support, times are read, written and converted between analogue and digital 12- and 24- hour clocks, (e.g. 3:00 o'clock - 15:00hrs). |
|  |  |  | - Solve problems involving converting from hours to minutes; minutes to seconds; years to months; weeks to days. | With concrete objects and the support of a teacher, there are simple conversions between different units of measure, e.g. hours to minutes and cm to metres. | With some guidance, problems involving converting from hours to minutes, minutes to seconds, years to months, weeks to days are solved. | Problems involving converting from hours to minutes, minutes to seconds, years to months, weeks to day are solved independently Lengths ( $\mathrm{m} / \mathrm{cm} / \mathrm{mm}$ ), mass ( $\mathrm{kg} / \mathrm{g}$ ) and volume/capacity (l/ml) are measured, compared, added and subtracted independently. |
| 26 | To use statistics | blank | - Interpret and present data using bar charts, pictograms and tables. | Pictograms, tally charts, block diagrams and simple tables are constructed and interpreted with the support of a teacher. | Generally, data can be interpreted and presented using bar charts, pictograms, tables Venn diagrams and Carroll diagrams. | Data can be interpreted and presented using bar charts pictograms, tables, Venn diagrams and Carroll diagrams without support. |
|  |  |  | - Solve one-step and two-step questions (for example, 'How many more?' and 'How many fewer?') using information presented in scaled bar charts, pictograms and tables. | There is an understanding of the terminology many more and many fewer. <br> Generally, one- step questions are solved using information presented in bar charts, pictograms and tables. | Generally, one- step and twostep questions are solved using information presented in bar charts, pictograms and tables. | One- step and two- step questions are solved independently using information presenting in bar charts, pictograms and tables. |


| Week | Objective | Strands | Milestone 2 | Basic | Advance | Deep |
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| 27 | To use statistics | blank | - Interpret and present discrete and continuous data using appropriate graphical methods, including bar charts and time graphs. | With support, questions about totalling and comparing categorical data are asked and answered. | When reminders are provided, the most appropriate choice as to how to present and collect data is made. <br> There is an emerging understanding of the difference between discrete and continuous data. | The difference between discrete and continuous data is securely understood. (Discrete data is counted; continuous data is measured.) <br> Discrete and continuous data can be presented and interpreted accurately using appropriate graphical methods. The most appropriate graphical methods are chosen independently. |
|  |  |  | - Solve comparison, sum and difference problems using information presented in bar charts, pictograms, tables and other graphs. | Generally, questions about information gathered can be asked for other children to answer. | Generally, discrete and continuous data can be presented and interpreted using appropriate graphical methods. | Comparison, sum and difference problems are solved using information presented in bar charts, pictograms, tables and other graphs. |
| 28 | To use algebra | blank | Solve addition and subtraction, multiplication and division problems that involve missing numbers. | With the support of a teacher and by using concrete objects and pictorial representations, simple addition, subtraction, multiplication and division problems are solved. <br> Problems involving missing numbers are accessed when support is provided. | Addition, subtraction, multiplication and division problems, including missing number problems, are generally solved correctly by applying an understanding to a variety of routine and nonroutine problems. <br> Patterns in results are looked for when solving problems. | Addition, subtraction, multiplication and division problems, including missing number problems, are solved by applying understanding to a variety of routine and nonroutine problems with increasing sophistication, including breaking down problems into a series of simpler steps and persevering in seeking solutions. |
| 29 |  | - |  | - | - | - |
| 30 |  | - |  | - | - | - |

